

Fig. 31A-1-001. $\text{LiD}_3(\text{SeO}_3)_2$. Crystal form [69Sod]. In this chapter 31A, the rectangular coordinates X_c , Y_c , Z_c are defined as $X_c \parallel a$, $Y_c \parallel b$, $Z_c \perp (X_c \text{ and } Y_c)$, as shown in this figure.

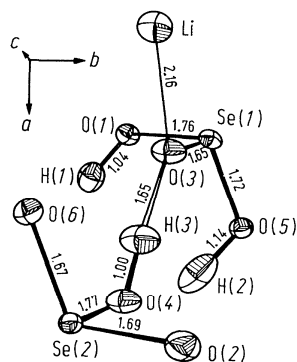


Fig. 31A-1-002. $\text{LiH}_3(\text{SeO}_3)_2$. A perspective illustration of an asymmetric unit of RT structure [72Tel]. Single thick line: covalent bonds; a pair of thin lines: hydrogen bond; single thin line: ionic bond. Distances in [Å].

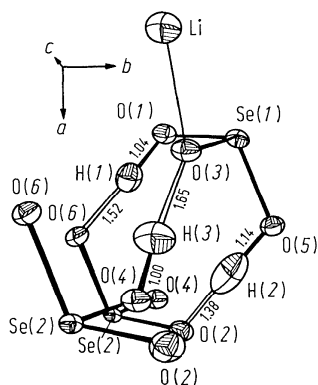


Fig. 31A-1-003. $\text{LiH}_3(\text{SeO}_3)_2$. A perspective sketch showing the hydrogen bond scheme of RT structure [72Tel]. Distances in [Å].

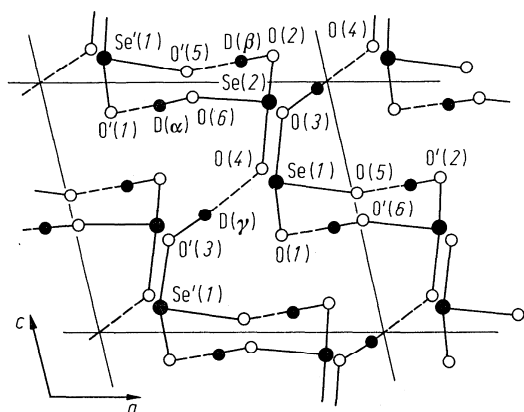


Fig. 31A-1-004. $\text{LiD}_3(\text{SeO}_3)_2$. A projection of the crystal structure of $\text{LiD}_3(\text{SeO}_3)_2$ on the (010) plane [69Sod]. Hydrogen bonds are indicated by dotted lines. Estimated positions of D atoms by deuteron magnetic resonance method are shown by small solid circles.

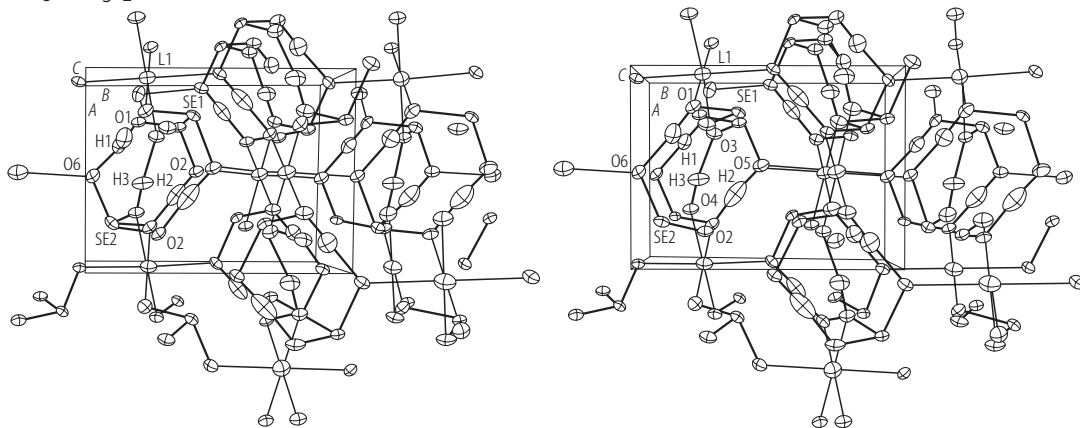
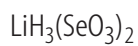


Fig. 31A-1-005. $\text{LiH}_3(\text{SeO}_3)_2$. Stereoscopic view of the structure [72Tel].

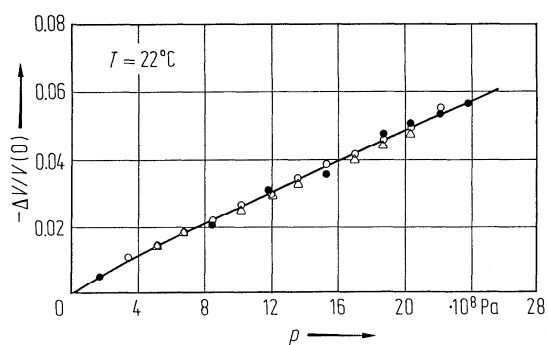


Fig. 31A-1-006. $\text{LiH}_3(\text{SeO}_3)_2$. $-\Delta V/V(0)$ vs. p at $T = 22^\circ\text{C}$ [68Sam]. $-\Delta V/V(0)$: relative volume change.

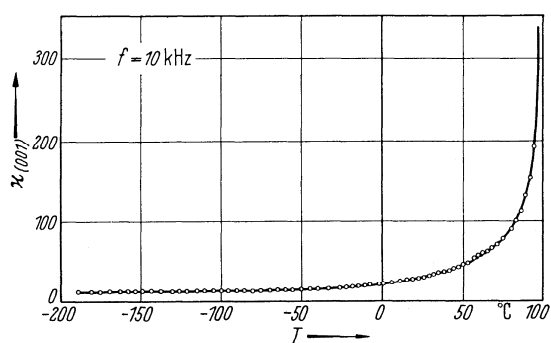


Fig. 31A-1-007. $\text{LiH}_3(\text{SeO}_3)_2$. $\kappa_{(001)}$ vs. T [59Pep]. $\kappa_{(001)}$: dielectric constant of (001) plate.

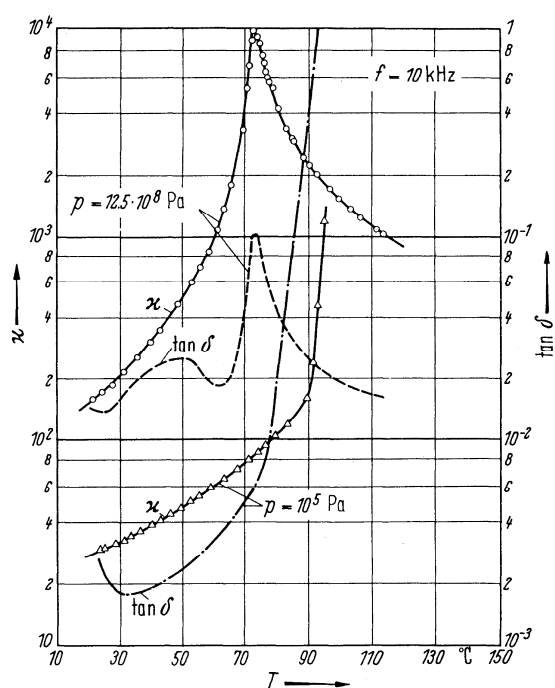


Fig. 31A-1-008. $\text{LiH}_3(\text{SeO}_3)_2$. κ , $\tan \delta$ vs. T at various p [66Sam].

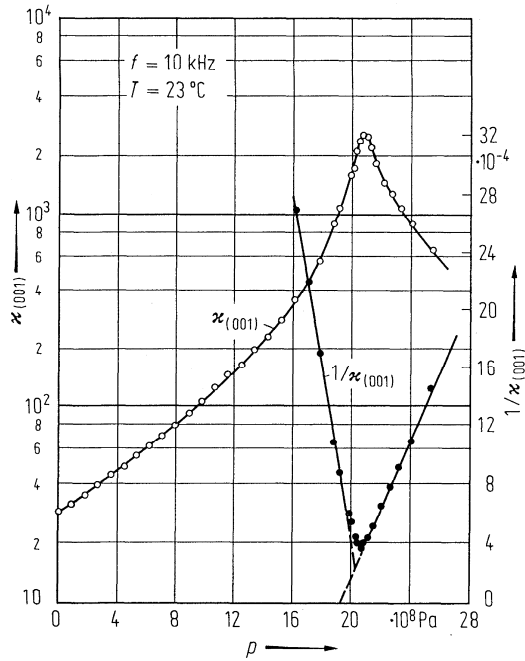


Fig. 31A-1-009. $\text{LiH}_3(\text{SeO}_3)_2$. $\kappa_{(001)}$, $1/\kappa_{(001)}$ vs. p at $T = 23^\circ\text{C}$ [68Sam].

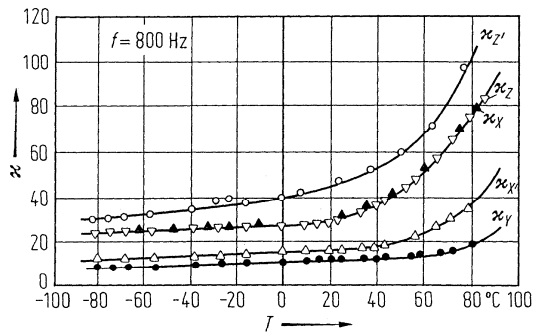


Fig. 31A-1-010. $\text{LiD}_3(\text{SeO}_3)_2$. κ_X , κ_Y , κ_Z , $\kappa_{X'}$, $\kappa_{Z'}$ vs. T [72Shu]. X , Y , Z : rectangular coordinate system defined as $Y \parallel b$, $X \parallel a$, $Z \perp (001)$. X' , Z' : principal axes of dielectric constant tensor in the (X, Z) plane; X' makes an angle 43.7° to the X axis.

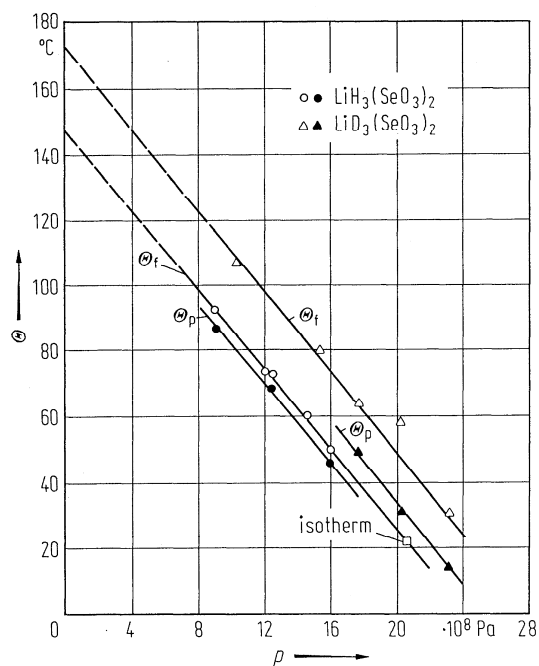


Fig. 31A-1-011. $\text{LiH}_3(\text{SeO}_3)_2$, $\text{LiD}_3(\text{SeO}_3)_2$. Θ_f , Θ_p vs. p [68Sam].

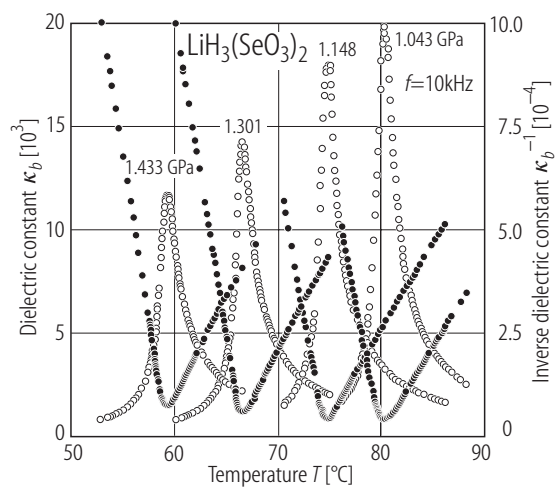


Fig. 31A-1-012. $\text{LiH}_3(\text{SeO}_3)_2$. κ_b , $1/\kappa_b$ vs. T [90Yam]. Parameter: p . Full circle: κ_b , open circle. $1/\kappa_b$.

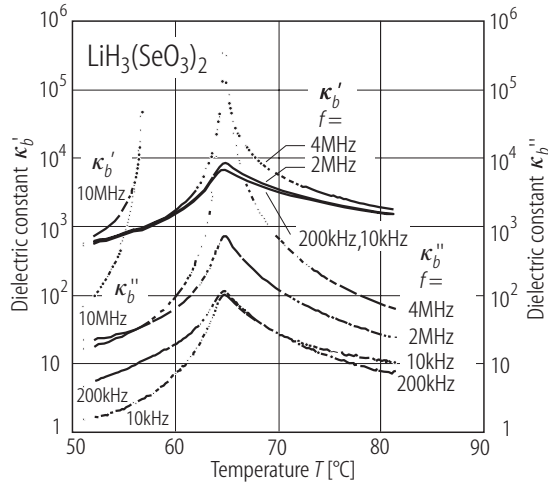


Fig. 31A-1-013. $\text{LiH}_3(\text{SeO}_3)_2$. κ'_b , κ''_b vs. T in the vicinity of Θ_f at 1.330 GPa [90Yam]. Parameter: f .

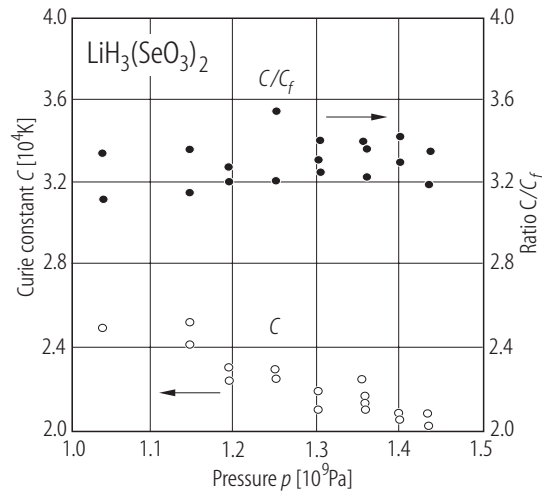


Fig. 31A-1-014. $\text{LiH}_3(\text{SeO}_3)_2$. C , C/C_f vs. p [90Yam]. C_f : ferroelectric Curie constant, $C_f = -d\kappa_b/dT$ below Θ_f .

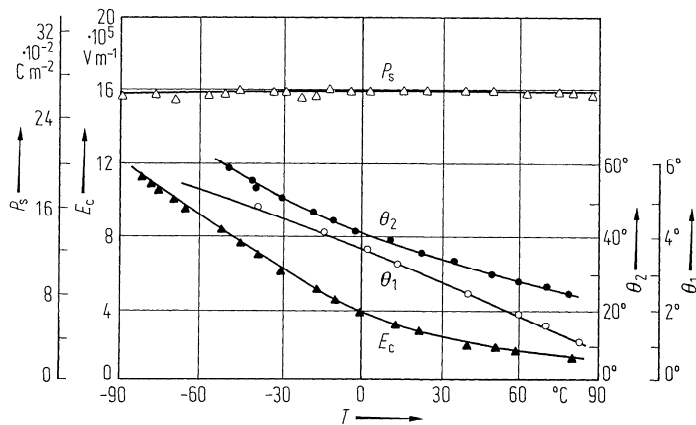


Fig. 31A-1-015. $\text{LiD}_3(\text{SeO}_3)_2$. P_s , E_c , θ_1 , θ_2 vs. T [72Shu]. P_s , E_c : measured for (001) plate; θ_1 : angle between P_s and the Z axis; θ_2 : angle between the greatest radius vector of the characteristic surface E_c^{-1} and the Z axis.

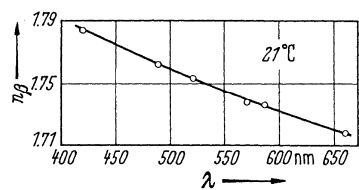


Fig. 31A-1-016. $\text{LiH}_3(\text{SeO}_3)_2$. n_β vs. λ [66Iva].

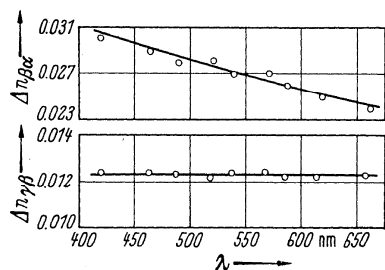


Fig. 31A-1-017. $\text{LiH}_3(\text{SeO}_3)_2$. $\Delta n_{\gamma\beta}$, $\Delta n_{\beta\alpha}$ vs. λ [66Iva]. $\Delta n_{\gamma\beta} = n_\gamma - n_\beta$, $\Delta n_{\beta\alpha} = n_\beta - n_\alpha$.

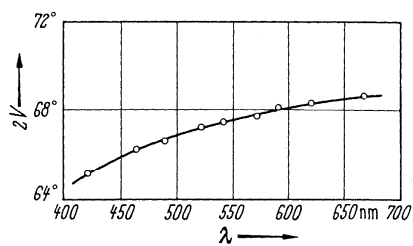


Fig. 31A-1-018. $\text{LiH}_3(\text{SeO}_3)_2$. $2V$ vs. λ [66Iva]. $2V$: optical axial angle.

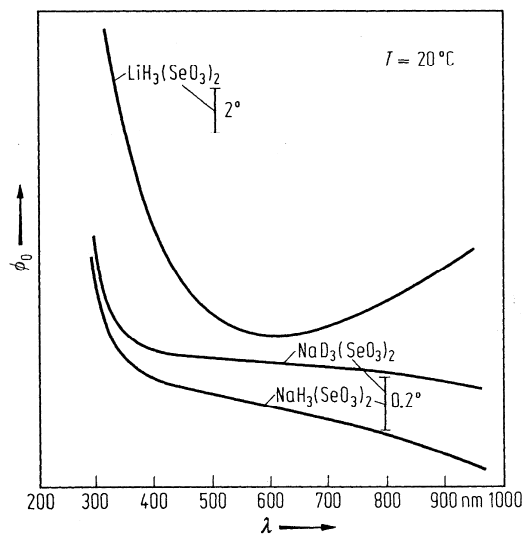


Fig. 31A-1-019. $\text{LiH}_3(\text{SeO}_3)_2$, $\text{NaH}_3(\text{SeO}_3)_2$, $\text{NaD}_3(\text{SeO}_3)_2$. ϕ_0 vs. λ [70Iva]. ϕ_0 : rotation angle of the optical indicatrix around the b axis.

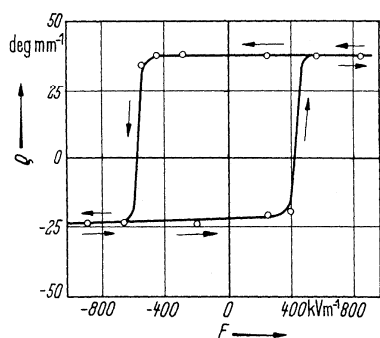


Fig. 31A-1-020. $\text{LiH}_3(\text{SeO}_3)_2$. ρ vs. E [62Fut]. ρ : optical rotatory power along the optic axis.

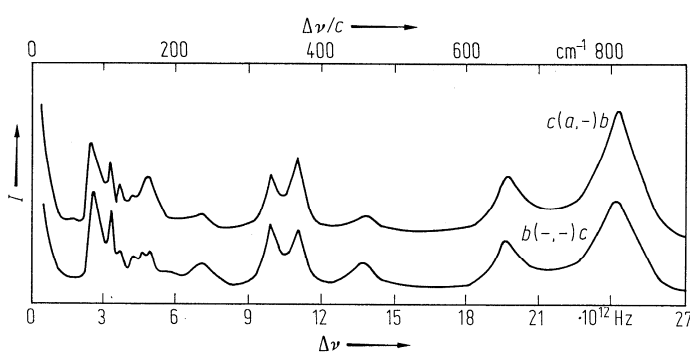


Fig. 31A-1-021. $\text{LiH}_3(\text{SeO}_3)_2$. I vs. $\Delta\nu$ [73Ach]. I : Raman scattering intensity at room temperature. Hyphens in the rotation of scattering geometry mean that the polarization of light is not specified.

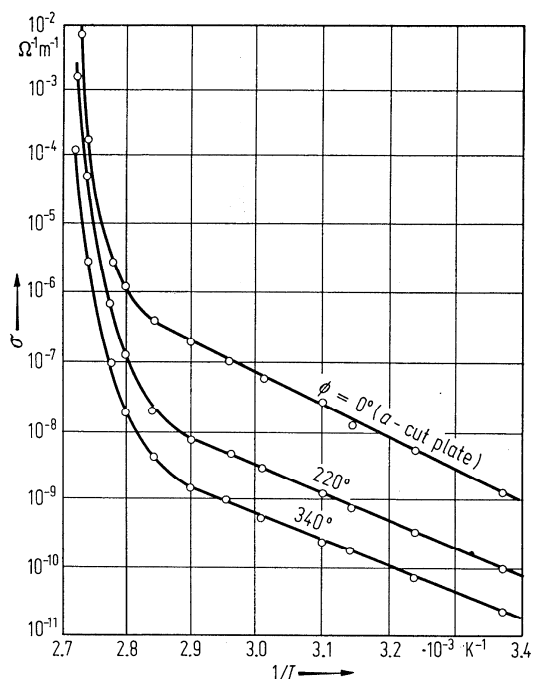


Fig. 31A-1-022. $\text{LiH}_3(\text{SeO}_3)_2$. σ vs. $1/T$ for the three directions [62Gur]. Parameter: ϕ . The field E applied to measure σ is perpendicular to the b axis. ϕ is the angle between E and the a axis. $E = 1 \text{ MV m}^{-1}$. σ was measured by means of the two terminal method.

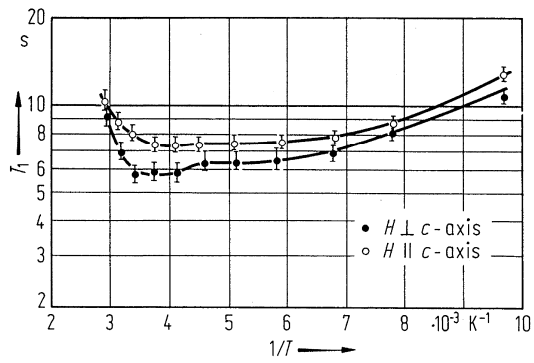


Fig. 31A-1-023. $\text{LiH}_3(\text{SeO}_3)_2$. T_1 vs. $1/T$ [68Sil]. T_1 : proton spin-lattice relaxation time.