

W14TRANJ1S

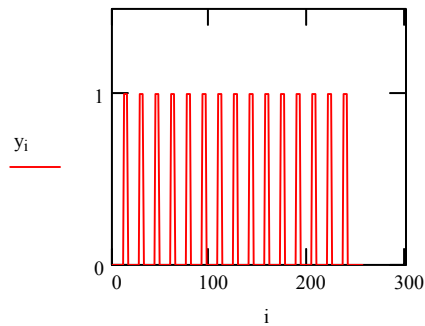
Coherent light.

Fourier transformation of a periodic structure using FT of Bessel as transfer function

Object : Sum of step functions

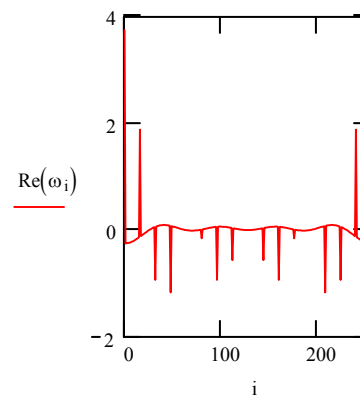
$$i := 0, 1 \dots 255 \quad b := 2 \quad qq := 14$$

$$y_i := \sum_{n=0}^{qq} \left[\Phi[i - [4 \cdot (2 \cdot n + 1) + 2] \cdot b] - \Phi[i - [4 \cdot (2 \cdot n + 1) + 4] \cdot b] \right]$$



FT of the object y is ω

$$\omega := \text{cfft}(y) \quad N := \text{last}(\omega) \quad N = 255$$



The transfer function is FT of s (and not s squared)

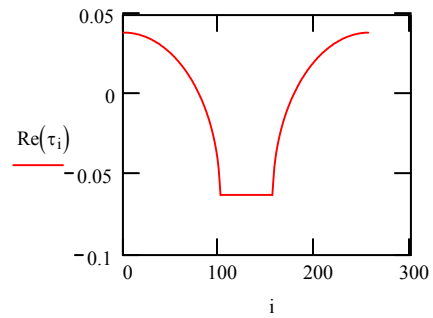
Ft of s is τ

$$\tau_i := \text{cfft}(s)$$

$$N := \text{last}(\tau)$$

$$s_i := 4 \cdot \frac{\left[\frac{J_1\left(\frac{\pi \cdot i}{\text{fn} \cdot \lambda \cdot 255}\right)}{\left(\frac{\pi \cdot i}{\text{fn} \cdot \lambda \cdot 255}\right)} \right]}{\left(\frac{\pi \cdot i}{\text{fn} \cdot \lambda \cdot 255}\right)}$$

$$N = 255$$

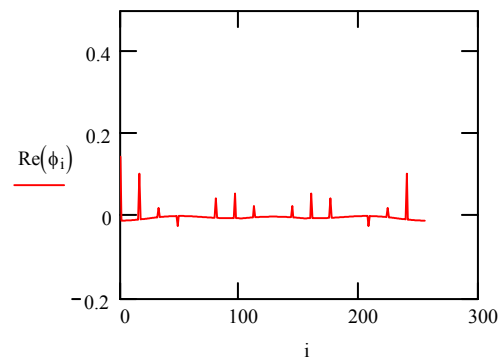


Product of FT of object and transfer function is the modified FT: ϕ

$$\phi_i := (\omega_i \cdot \tau_i)$$

$$\text{fn} \equiv 10$$

$$\lambda \equiv .0005$$



FT (inverse) of the modified FT is the modified amplitude of the image yy

$$N2 := \text{last}(\phi)$$

$$N2 = 255$$

$$yy := \text{icfft}(\phi)$$

The image is the absolute value of yy squared

