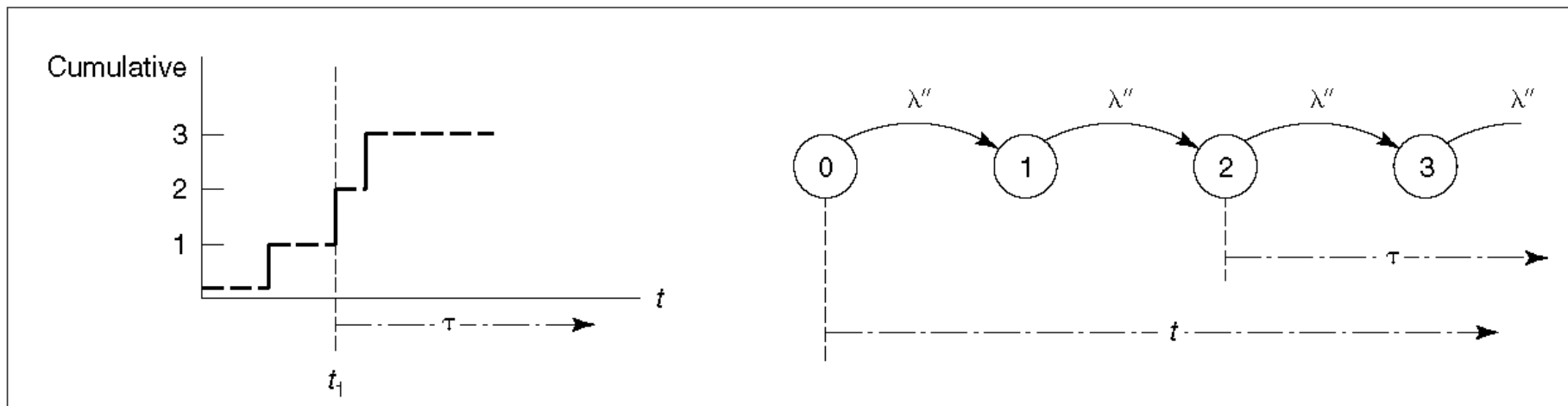
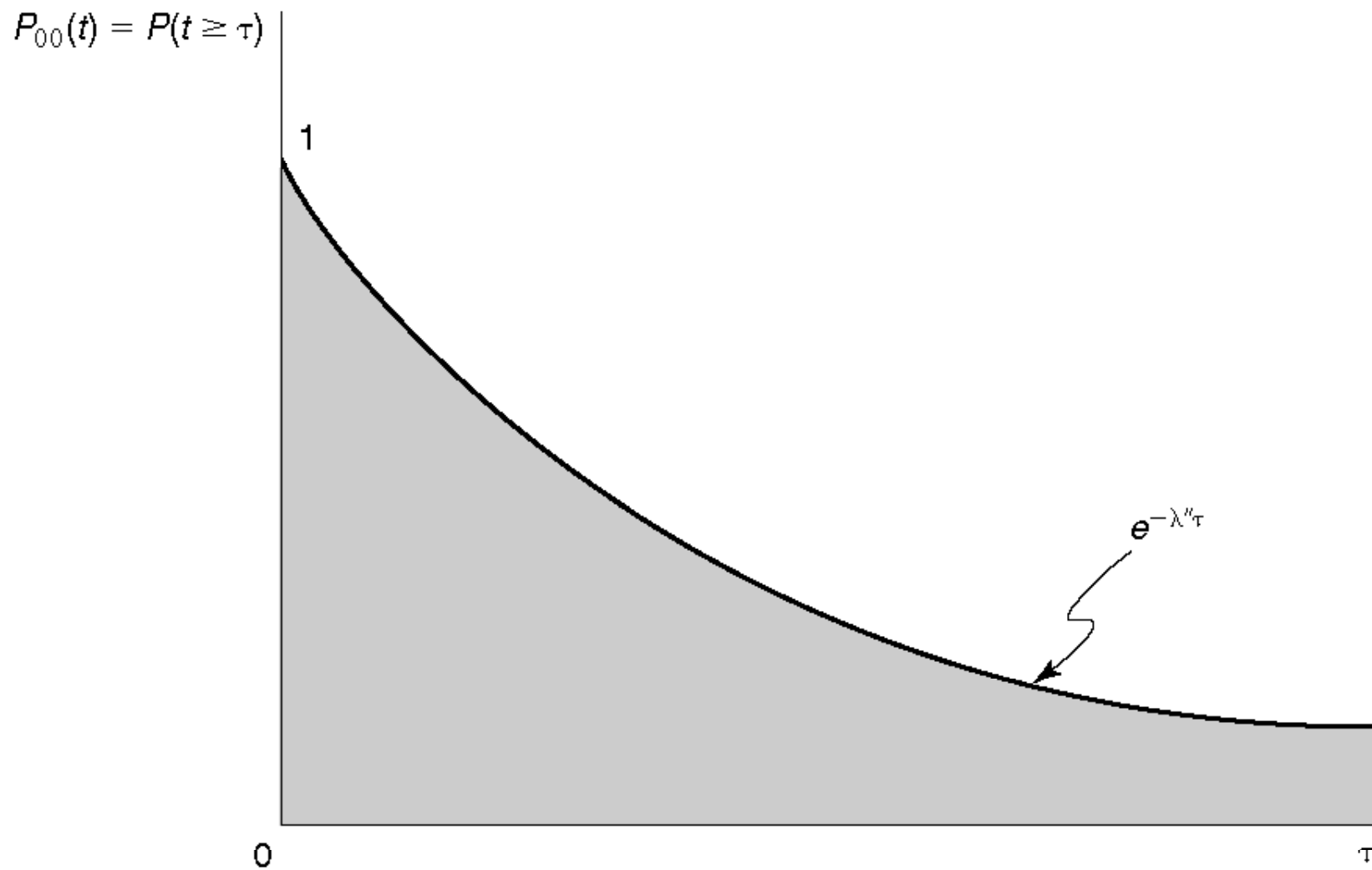


**Figure A3.1** CUMULATIVE ARRIVAL PATTERN AND ASSOCIATED STATE-TRANSITION DIAGRAM

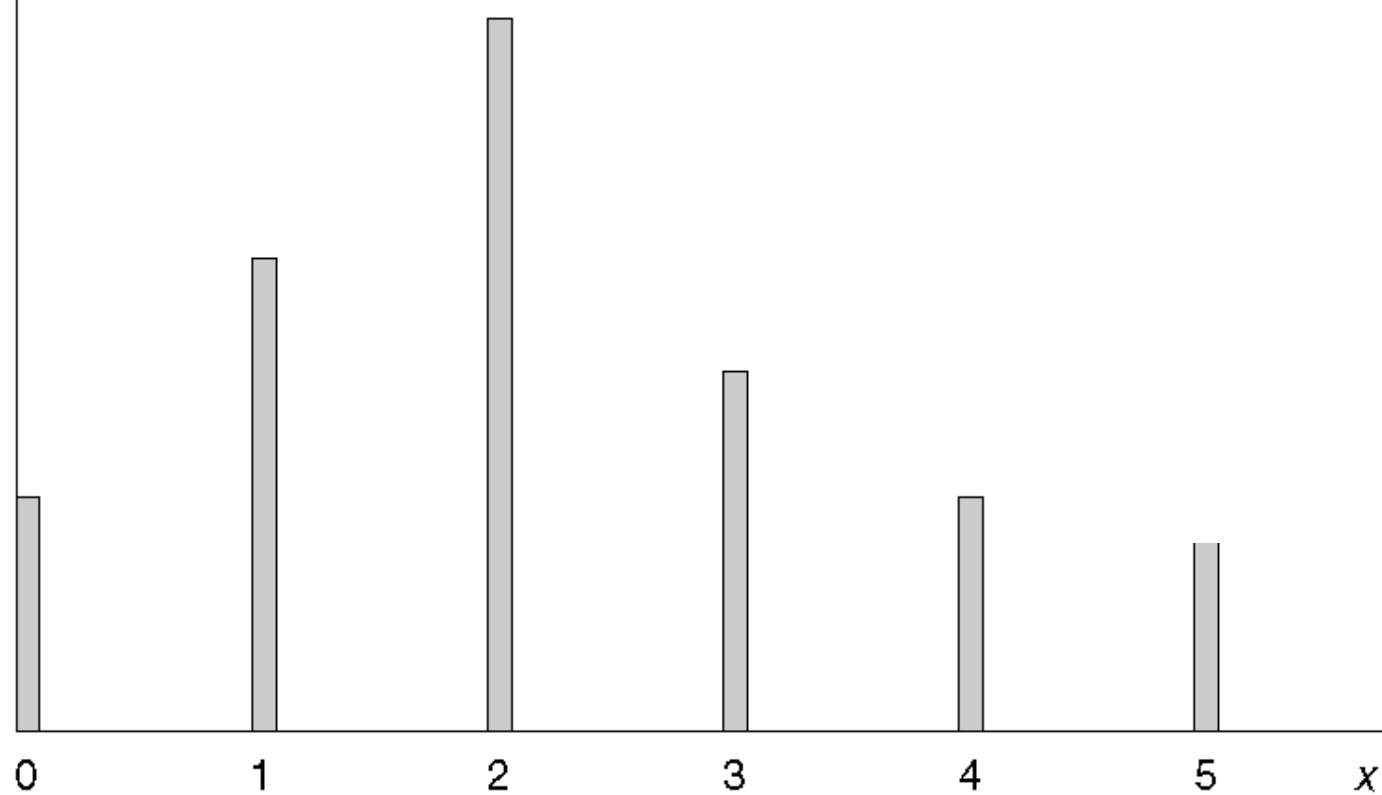


**Figure A3.2** INTERARRIVAL TIME DISTRIBUTION FUNCTION



**Figure A3.3** POISSON-ARRIVAL DISTRIBUTION FUNCTION

$$P(x) = p_{0x}(t = 1)$$



**Table A3.1** AIRCRAFT ARRIVAL AND DEPARTURE FIELD DATA

Aircraft	Arrival time*	Depart time*	Wait time	Total time in system	Service time	Total in system	Interarrival time
#1	1	2	0	1	1	1	
2	2	3	0	1	1	1	1
3	3	4	0	1	1	1	1
4	5	6	0	1	1	1	2
5	8	9	0	1	1	1	3
6	8.1	10	0.9	1.9	1	2	0.1
7	9	11	1	2	1	2	0.9
8	9.5	12	1.5	2.5	1	3	0.5
9	11	13	1	2	1	2	1.5
10	12.5	14	0.5	1.5	1	2	1.5
11	14	15	0	1	1	1	1.5
12	16	17	0	1	1	1	2

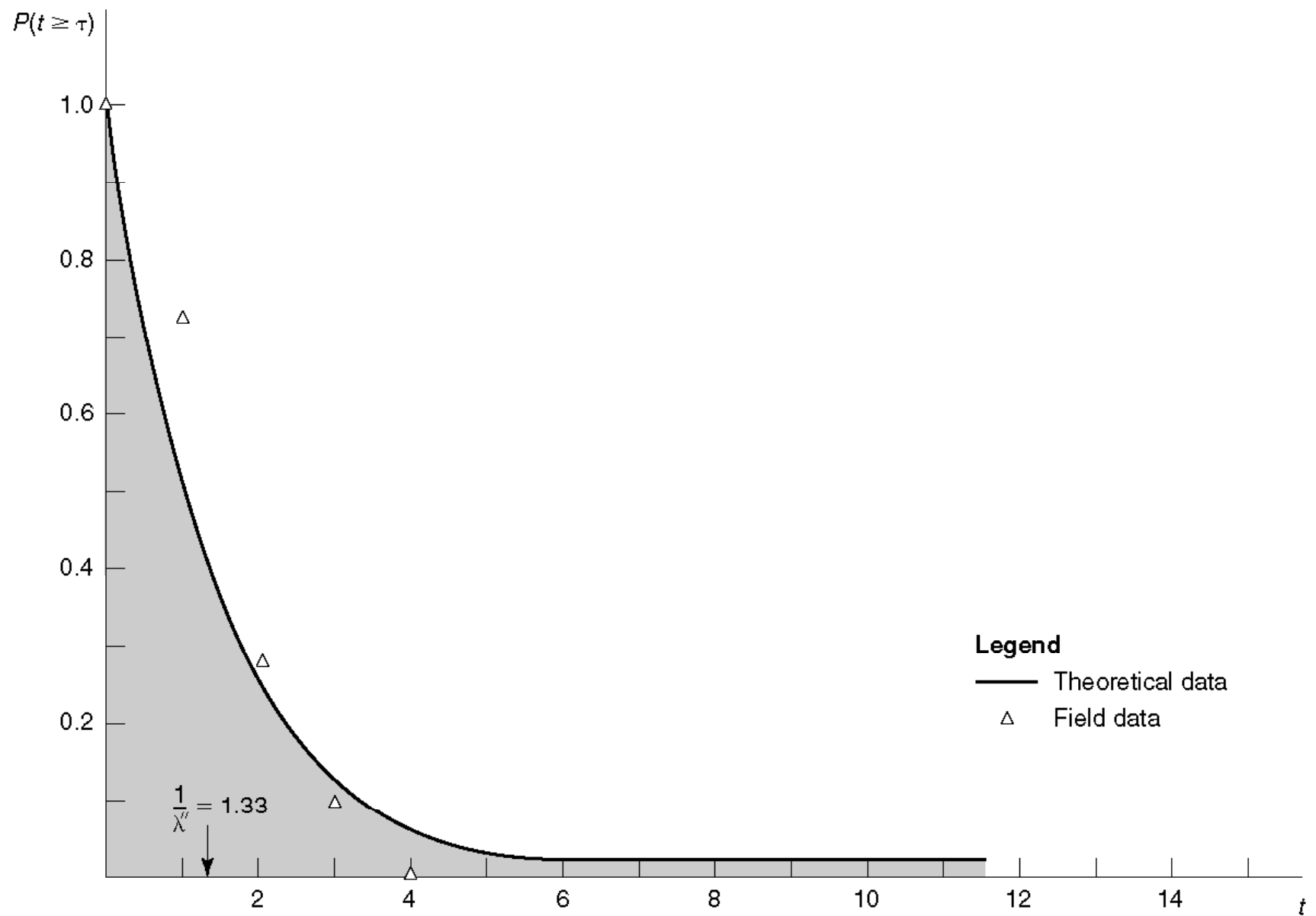
\*Data to be collected, rest can be derived.

SOURCE: Morlok (1978). Reprinted with permission.

**Table A3.2** THEORETICAL AND FIELD DATA ON INTERARRIVAL TIME DISTRIBUTION

Time intervals $t$	Experimental		Theoretical
	No. interarrival times that exceed the time interval $t > \tau$	Frequency distribution	$P(t > \tau) = e^{-0.75\tau}$
0	11	1.00	1.00
1	8	0.73	0.47
2	3	0.27	0.22
3	1	0.09	0.11
4	0	0	0.05
5	0	0	0.02
6	0	0	0.01
7	0	0	0.01
8	0	0	0

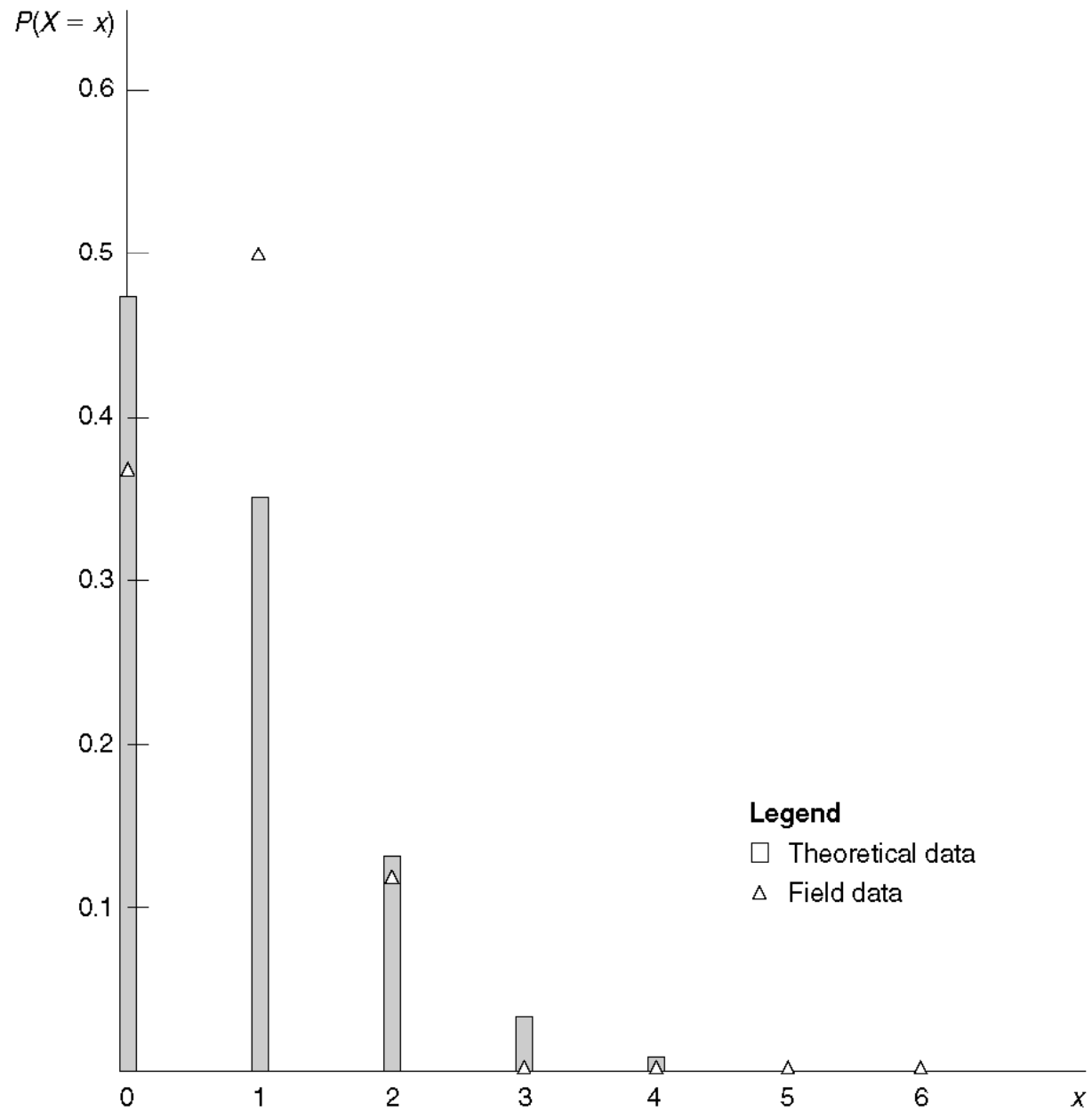
**Figure A3.4** INTERARRIVAL TIME DISTRIBUTIONS



**Table A3.3** THEORETICAL AND FIELD DATA ON POISSON DISTRIBUTION

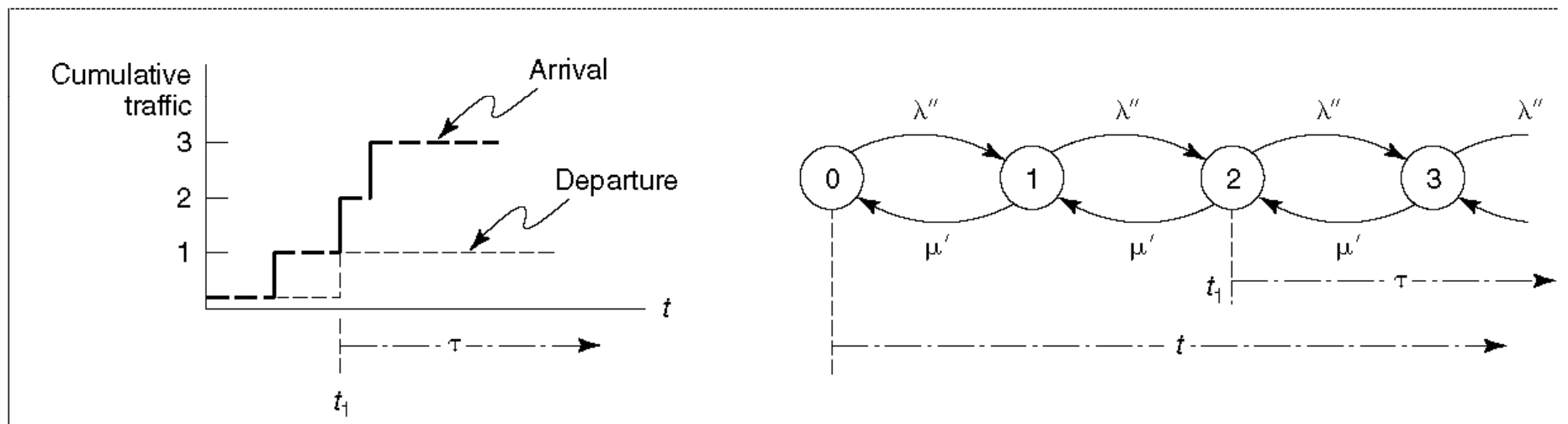
No. of arrivals per unit time $x$	Experimental		Theoretical
	No. of occurrences (time intervals)	Frequency distribution	$P(X = x) = \frac{e^{-0.75}[0.75]^x}{x!}$
0	6	0.375	0.47
1	8	0.500	0.35
2	2	0.125	0.13
3	0	0	0.03
4	0	0	0.01
5	0	0	0

**Figure A3.5** POISSON DISTRIBUTIONS

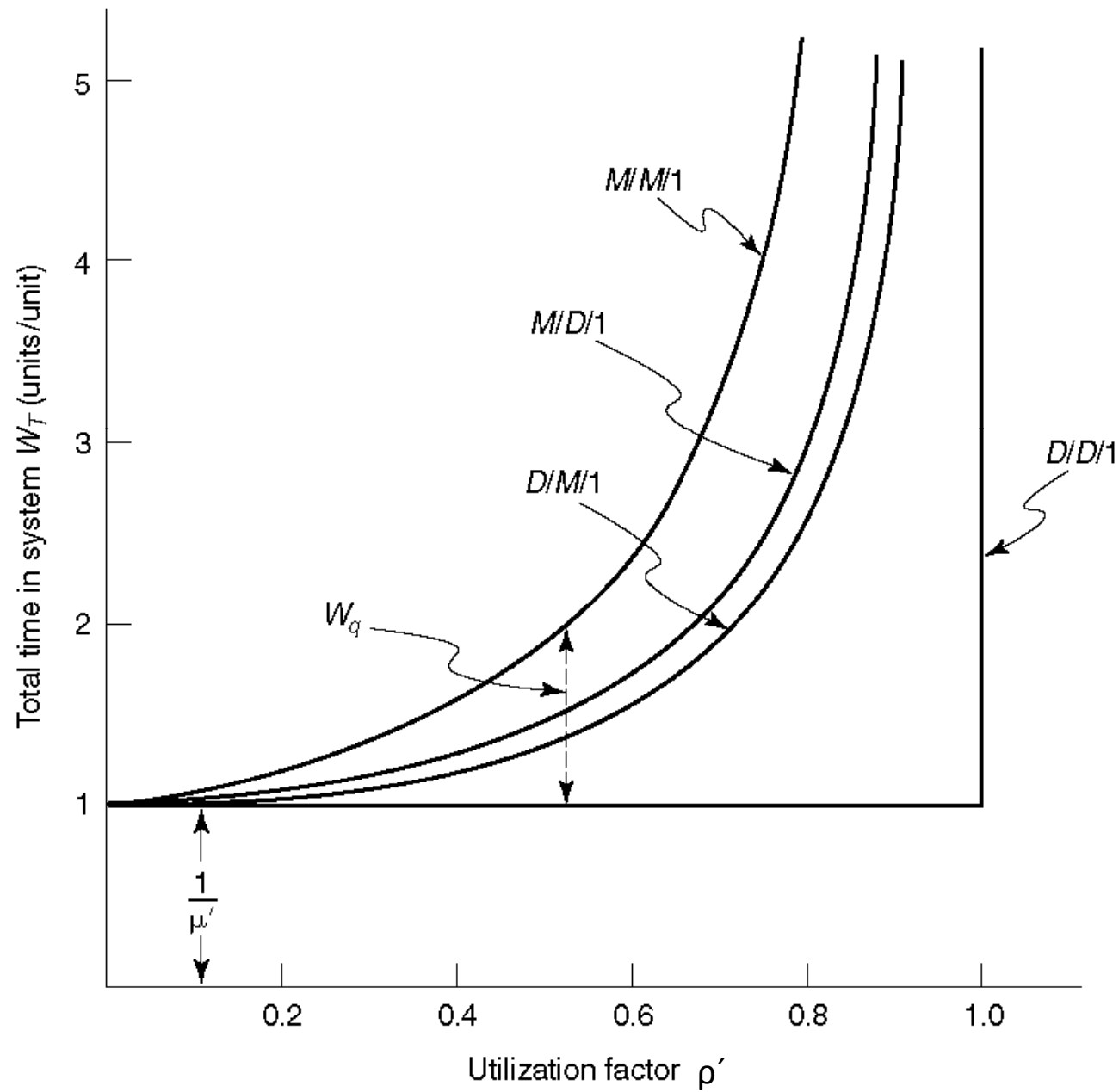




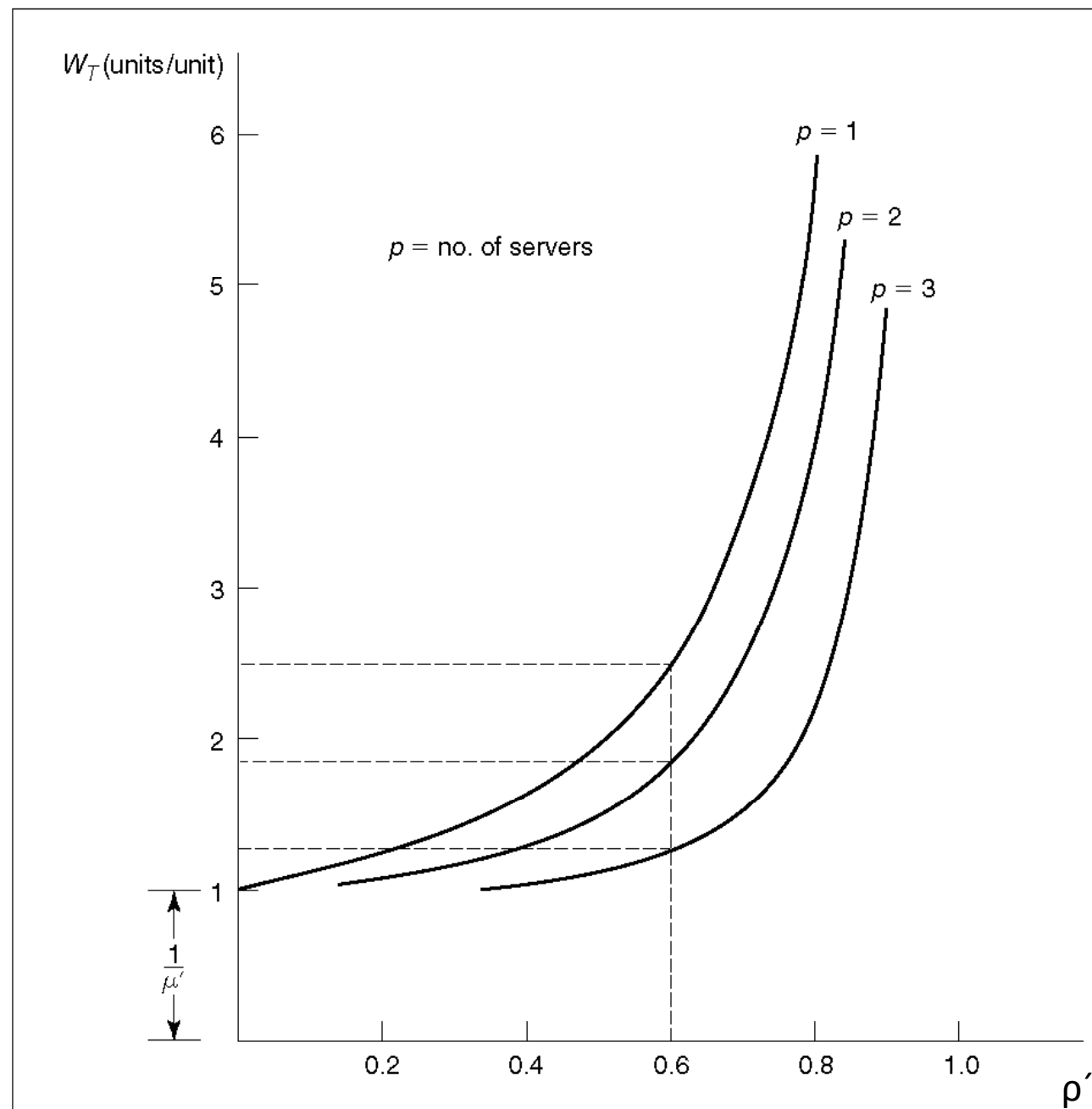
**Figure A3.6** CUMULATIVE ARRIVAL AND DEPARTURE CURVES AND ASSOCIATED TRANSITION DIAGRAM



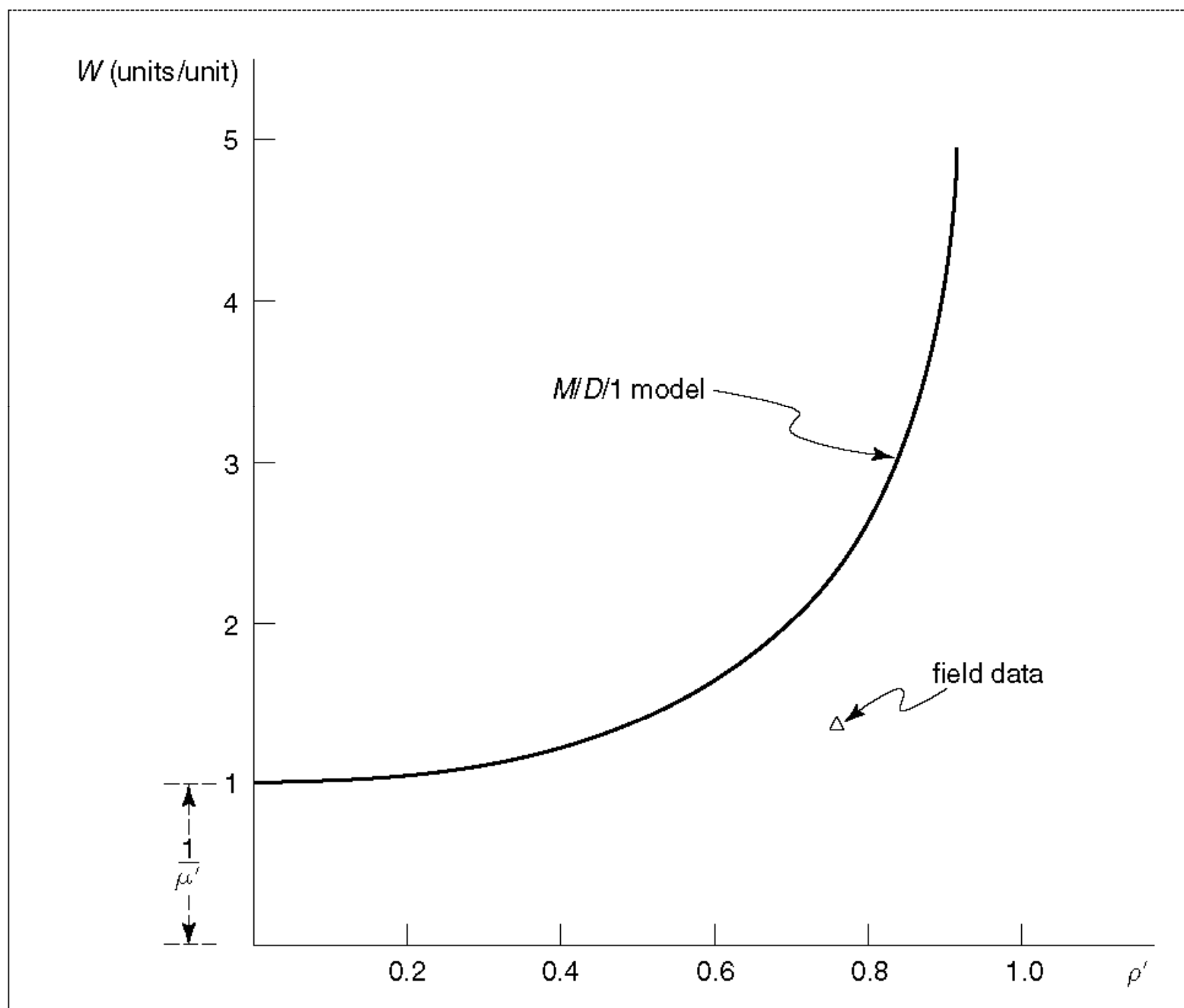
**Figure A3.7** AVERAGE PERFORMANCE OF VARIOUS QUEUING DISCIPLINES



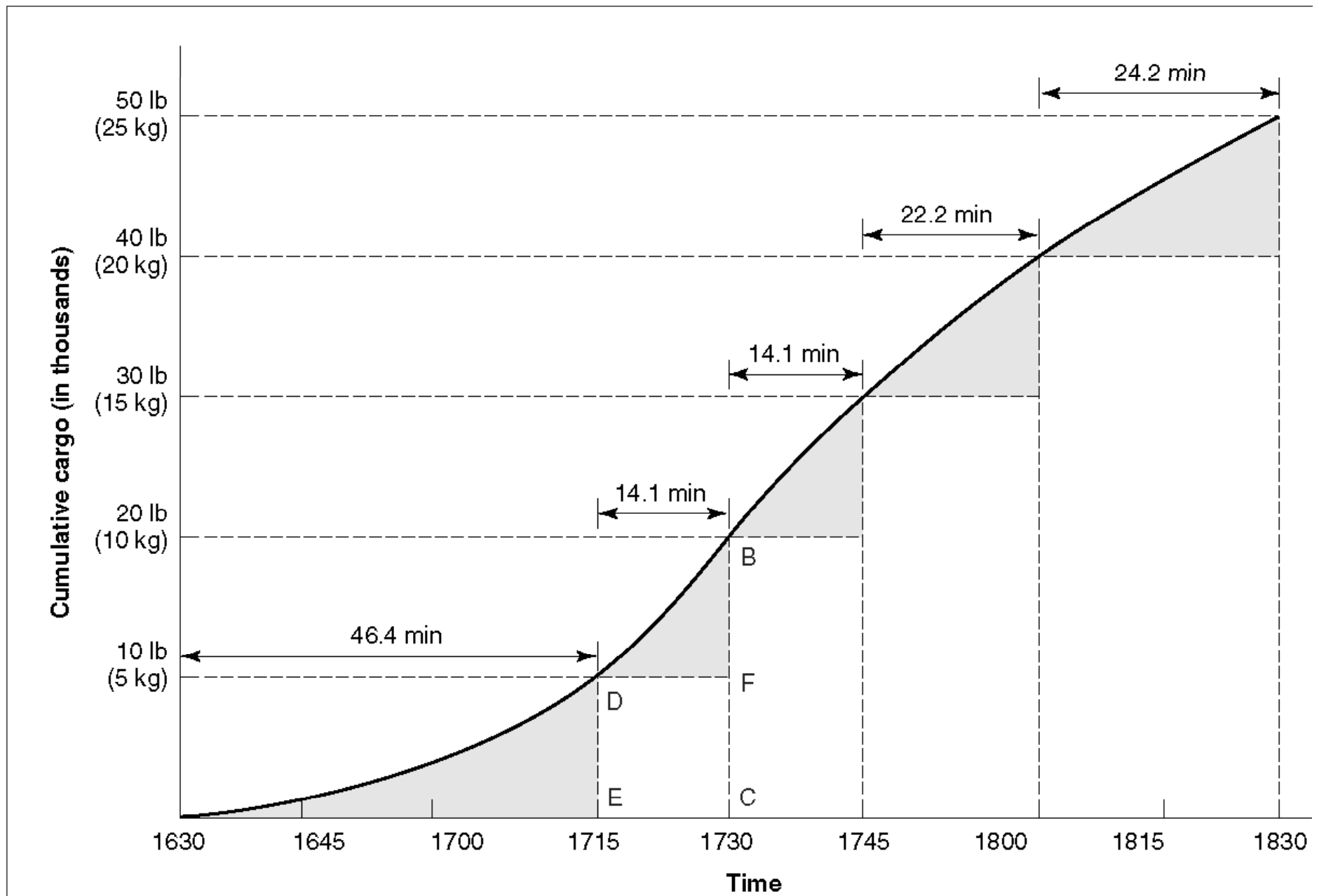
**Figure A3.8** PERFORMANCE OF MULTI-SERVER QUEUES



**Figure A3.9** FIELD DATA ON  $M/D/1$  CURVE



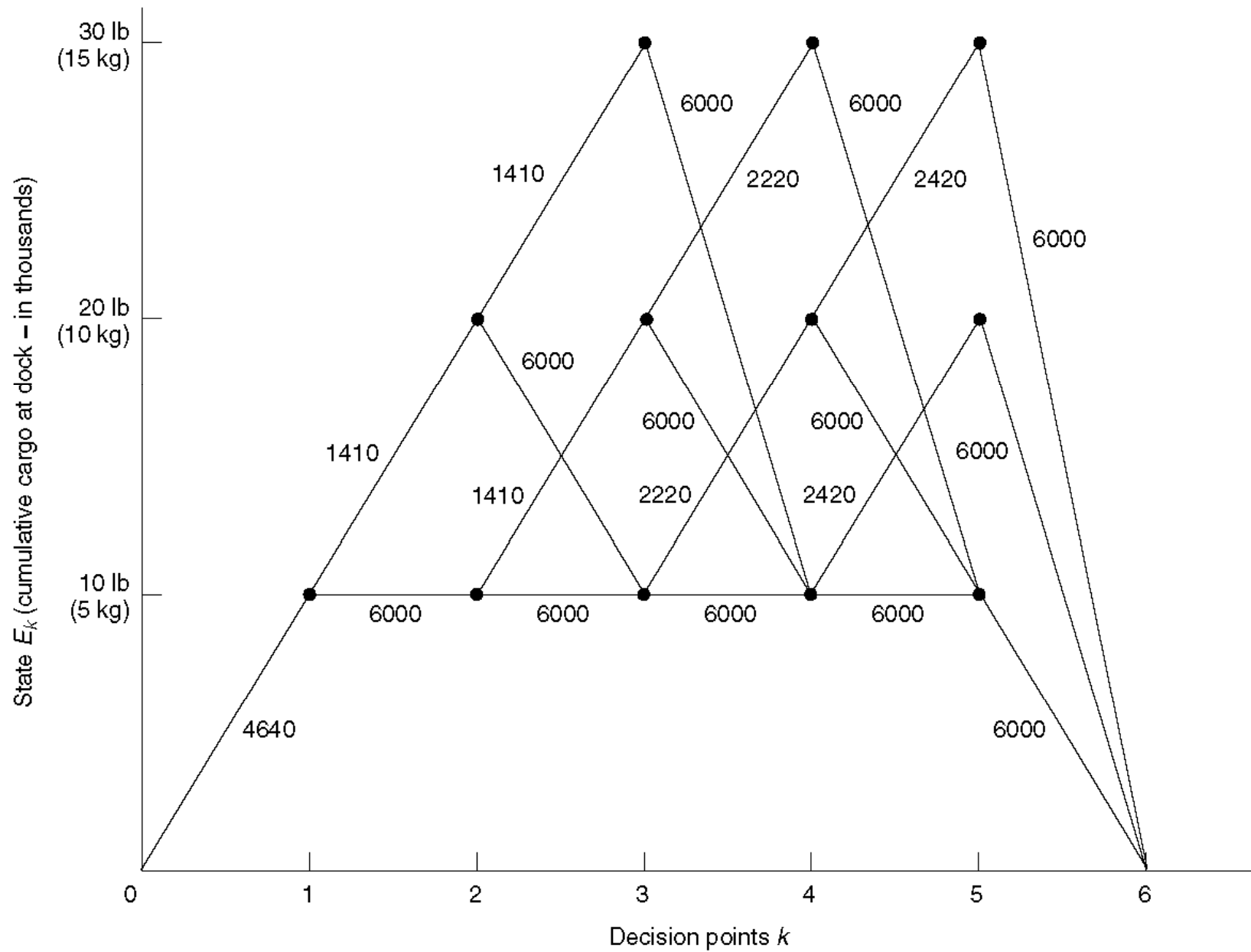
**Figure A3.10** DEMAND ARRIVAL PATTERN



**Table A3.4** OPERATING AND DELAY COSTS FOR DISPATCHING EXAMPLE

		Incremental cost (\$) of operation $c(y_k)$ for decision point (stage) $k$					
		0	1	2	3	4	5
$y_k =$	1 dispatch	—	6000	6000	6000	6000	6000
	0 hold	4640	1410	1410	2220	2420	—

**Figure A3.11** STATE STAGE DIAGRAM



**Table A3.5** TRANSITION MATRIX OF SITE-RELOCATION EXAMPLE

Present state of site	Probability that site begins next year as			
	Excellent (E)	Good (G)	Average (A)	Bad (B)
Excellent (E)	0.7	0.3		
Good (G)		0.7	0.3	
Average (A)			0.6	0.4
Bad (B)				1.0 <sup>a</sup>

<sup>a</sup>A "bad" site remains "bad" until relocation takes place.